LOYOLA COLLEGE (AUTONOMOUS), CHENNAI – 600 034

C.,B.C.A., DEGREE EXAMINATION – COMPUTER SCIENCE& COMP.APP.

THIRDSEMESTER – APRIL 2017

CS 3204/ CA 3201 - STATISTICAL METHODS

Date: 04-05-2017 Time: 09:00-12:00

Dept. No.

Max.: 100 Marks

(10 X 2 = 20 Marks)

Answer ALL questions.

1. There are 50 students in a class. The average marks of the 10 failed students are 25. The total marks got by the entire class is 2,810. What is the average mark of the successful candidates?

SECTIONA

- 2. Pearson's coefficient of skewness is -0.4 and the value of the mean and median are 45 and 48 respectively. Determine the value of the standard deviation.
- 3. State axioms of probability.
- 4. Two dice are thrown. Find the probability of a total greater than 12

5. Five men in a company of 20 are graduates. If 3 men are picked out from this 20 persons at random.

What is the probability that all are graduates

- 6. State any two properties of binomial distribution.
- 7. State the additional theorem on probability of two events.
- 8. Explain different types of probability sampling.
- 9. A random variable X has the following probability function

| Value of X | -1 | 0 | 1 |
|------------|-----|-----|-----|
| P(X=x) | 0.2 | 0.3 | 0.5 |

Find E(X).

10. Define normal distribution.

SECTION B

$(5 \times 8 = 40 \text{ Marks})$

Answer any FIVE questions

11. (a) Compute mean deviation about median from the following:

| Marks 0-10 | | 10-20 | 20-30 | 30-40 | 40-50 | 50-60 | 60-70 |
|----------------|---|-------|-------|-------|-------|-------|-------|
| No.of students | 7 | 12 | 18 | 25 | 16 | 14 | 8 |

| (C | IR) |
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| <u>ر</u> | |

(b) The scores of two players A and B in 12 rounds are given below.

| Α | 74 | 75 | 78 | 72 | 78 | 77 | 79 | 81 | 79 | 76 | 72 | 71 |
|---|----|----|----|----|----|----|----|----|----|----|----|----|
| B | 87 | 84 | 80 | 88 | 89 | 85 | 86 | 82 | 82 | 79 | 86 | 80 |

Identify the better player and more consistent player.

| 12.(aCalcula | | nan's R | | | | | | owing | data: | | | - | 1 | | |
|----------------------------------|---|---------------------------------|--------------------------|--|--|--|--|--|-----------------|----------------------|-----------------|------------------|---------------------------------|---------------|---------|
| | ks of X ks of Y | 1 6 | 8 | $\frac{3}{9}$ | 8 | 10 | 5 | 4 | 7 | + | $\frac{7}{9}$ | 3 | | | |
| Nall | KS OL I | 0 | 3 | 9 | 3 | 6 | 3 | 4 | 1 | | 9 | 10 | | | |
| (b). The follo | U | ble show | s the | • | OR) ibutior | n of di | gits i | n numl | pers (| chos | sen a | at rand | lom from | na | |
| telephonedin | ectory. | | | | | | | | | | | | | | |
| Digits: | 0 | 1 | 2 | | 3 | 4 | | 5 | 6 | | | 7 | 8 | 9 | |
| Frequency: | 1026 | 1107 | 99 | 7 | 966 | 10 | 75 | 933 | 1 | 107 | | 972 | 964 | 853 | |
| Test whethe | er the dig | eits may | beta | iken t | | ir equa | ally f | requen | tly ir | the | dir | ectory | | | |
| (b)Stat | 5,000. As (i) se and pro | ssuming Rs. 1,2 ove Bay | the c 0,000 e's th | tistrit 0 and (OR) eorer | pution ⁺ Rs.1,4 | to be 1 15,000 | norm) (| al, finc ii) F | 1 how 85.1,4 | 7 ma 10,0 | uny 00 a | branch and Rs | es have .1,60,00 | sales be 0 | etween |
| 14.(a) Find t | | alue of | | d stan | ndard d | eviati -3 1/7 | on of -2 1/7 | -1 | | ng p) /7 | prot 1 1/ | 2 | 3 | ntion | |
| | | | | | (| (OR) | | | | | | | | _ | |
| (b) Dete | ermine th | e binom | ial di | strib | tion f | or whi | ich th | e mea | n is 4 | and | l va | riance | 3. Also | find P(| X=15). |
| 15.(a) Find (b)) Find variance. | | - | • | | | | (OR) |) | | | | | | | |
| Answer any | ⁷ TWO q | uestion | S | | | S | ECTI | ON (| С | | | | (2 X | X20 = | 40 Marl |
| What are (b) Followir | Variance e (i) the r (10) ng are the ent <u>of co</u> r | of X=9 mean val e marks s | P Reg lues c score | gressi of X a The s d by a <u>find t</u> | on equ ind Y (tandar a grouj <u>the Pro</u> | ations (ii) Th d devi p of 10 <u>bable</u> | s:8 X e con iation 0 stuc Erro | - 10 Y relatio of Y? lents in | 7 + 60 n coe | 5=(effic xour | 0. 4 ient | ЮХ– betwe | 18 Y=2 en X and Statistic | 214. d Y | |
| | | ks in Sta | | | | | | 75 55 | | | | 32 42 | | | |
| | | | | | | | | | | | | | | | (12+8) |
| | | | | | | | | | | | | | | | |
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17.(a)A factory has two machines A and B. Past records show that machine A produces 30% of the total output and machine B the remaining 70% Machine A produces 5% defectives and machine B produces 1% defective items. An item is drawn at random and found to be defective. What is the probability that it was produced (a) by machine A (b)by machine B. (b). State and prove the addition theorem of probability. (12+8)18. (a)800 candidates of both sex appeared at an examination. The boys outnumbered the girls by 15 % of the total. The number of candidates who passed exceeded the number failed by 480. Equal number of boys and girls failed in the examination. Prepare a 2x2 table and find the coefficient of association and Comment 18.(b) Two random variables X and Y have the following joint probability density function: $f(x, y) = \begin{cases} 2 - x - y, 0 \le x \le 1, 0 \le y \le 1 \\ 0, & Otherwise \end{cases}$ Find (i) Marginal density functions of X and Y. (10)Conditional density functions (iii) Var (X), Var (Y) and (iv) Covariance between X and Y. (10+10)

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